

Consider the following problem. Given a set of positive integers  $x_1, x_2, x_3, \dots, x_n$  find a subset of this set of integers that has  $M$  as its sum. How can backtracking be used to solve this problem?

**solution:** We start with a sum with no terms. we build up the sum by successively adding terms. An integer in the sequence is included if the sum remains less than  $M$  when this integer is added to the sum. If a sum is reached so that the addition of any terms is greater than  $M$ , backtrack by dropping the last term of sum. We continue this way until the sum equals to  $M$ . When this occurred, we'll stop.

Figure 12 displays a backtracking solution to the problem of finding a subset of  $\{31, 27, 15, 11, 7, 5\}$  with the sum equal to 39.

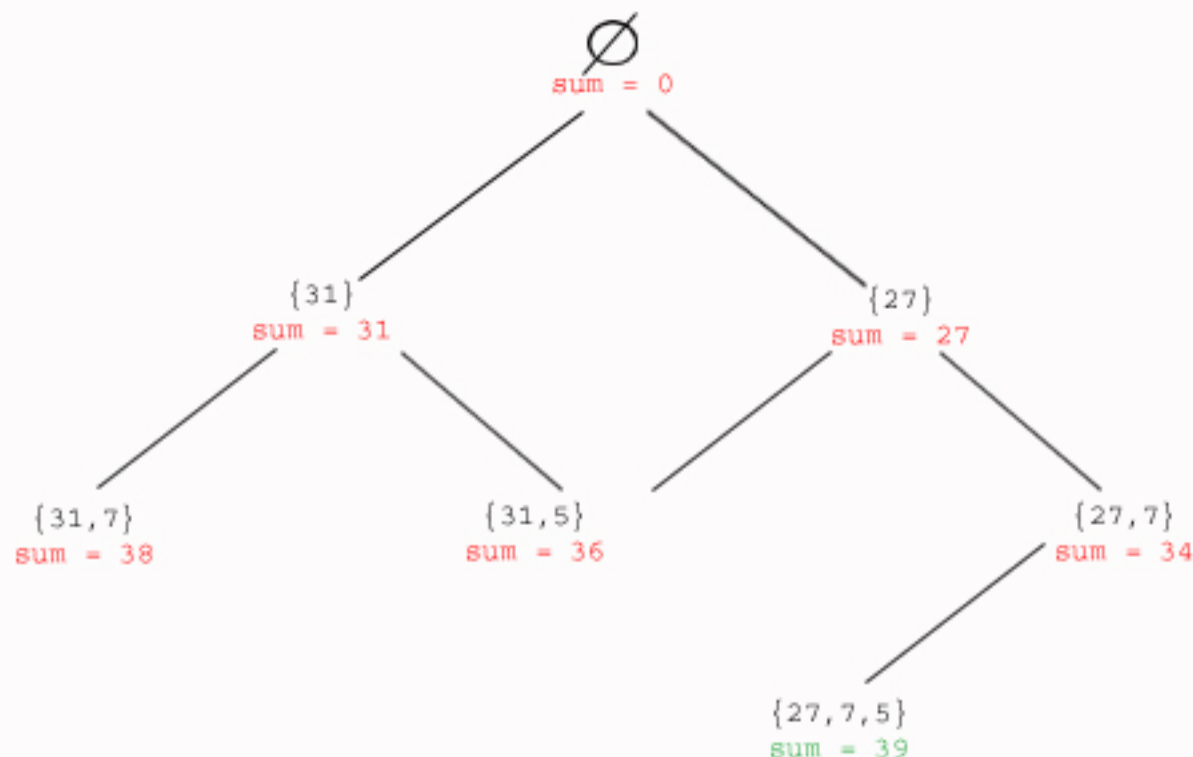


Figure 12 Find a sum equal to 39 Using Backtracking.